1.4 Inverses: Part I

The <u>inverse</u> of a relation can be found by <u>interchanging</u> the x and y coordinates of the original function.

$$(x, y) \to (\underline{\checkmark}, \underline{\checkmark})$$

For every (x, y) of a <u>featon</u>, there is an ordered pair (y, x) on the inverse of that relation.

Ex. #2: Given the graph of the relation below sketch the graph of its inverse.



Ex. #3: On the above graph sketch the line
$$y = x$$
.
What do you notice about the graphs with respect to the line $y = x$?

They are reflections of each other over y=X

Ex. #4: Is the graph of the original relation a function? How do you know? VES. Original velation is a function One y-value for each X-Value Is the graph of the inverse a function? How could you tell without graphing the inverse whether it would be a function? No, Not a function. Some X-values that have 2 different y-values. The graph of a relation and its inverse are <u>Reflectors</u> of each other in the line y = x.

Horizontal Line Test:

- A test used to determine whether the graph of an inverse relation will be a ______.
- If a horizontal line intersects a graph in <u>More than one place</u> then the inverse of the relation is not a function.

The inverse of a function y = f(x) may be written in the form X = f(x)

When the inverse of a function is itself a function then we use the notation







